

# SSI: Scalable Software Infrastructure for Scientific Computing

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## Mission

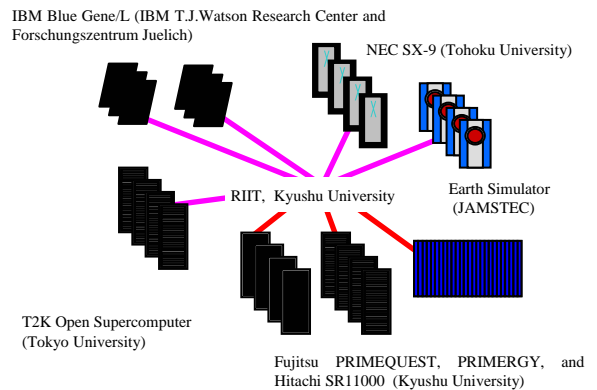
The Scalable Software Infrastructure for Scientific Computing Project was initiated in November 2002, for the purpose of constructing a scalable software infrastructure to replace existing implementations of parallel algorithms in individual scientific fields. The project covered the following four areas: iterative solvers for linear systems, fast integral transforms, their effective implementation for high performance computers of various types, and joint studies with institutes and computer vendors, in order to evaluate the developed libraries for advanced computing environments.

An object-oriented programming model was adopted to enable users to write their parallel codes by just combining elementary mathematical operations. Implemented algorithms are selected from the viewpoint of scalability on massively parallel computing environments. The libraries are freely available via the Internet, and intended to be improved by the feedback from users. Since the first announcement in September 2005, the codes have been downloaded and evaluated by more than 140 organizations around the world.

## Lis: A Library of Iterative Solvers for Linear Systems

In the fields such as quantum physics and fluid mechanics, we have to solve large scale linear systems to compute numerical solutions of differential equations.

Lis, a Library of Iterative Solvers for linear systems, is an efficient parallel implementation of iterative methods for both linear equations and eigenproblems, with various solvers, preconditioners, and sparse matrix storage formats. Lis is released under the modified BSD license, and supports easy migration from serial environments to massively parallel computing environments with tens on thousands of processors.

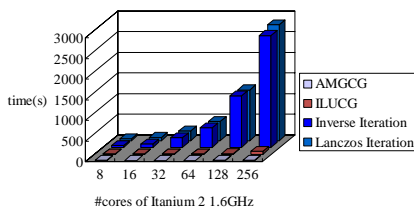


Current platforms for our development

```

1: LIS MATRIX  A;
2: LIS VECTOR  b, x;
3: LIS_SOLVER solver;
4: int  iter;
5: double times, itimes, ptimes;
6:
7: lis initialize(argc, argv);
8: lis matrix create(LIS_COMM_WORLD, &A);
9: lis vector create(LIS_COMM_WORLD, &b);
10: lis vector create(LIS_COMM_WORLD, &x);
11: lis solver create(&solver);
12: lis input(A, b, x, argv[1]);
13: lis vector set_all(L,0,b);
14: lis solver set_option(&solver);
15: lis_solve(A, b, x, solver);
16: lis solver get_iters(&iter);
17: lis solver get_times(&times, &itimes, &ptimes);
18: printf("iter = %d time = %e (p=%e i=%e)\n", iter, times, ptimes, itimes);
19: lis_finalize();
    
```

An example code for C



Computation time for smallest eigenvalues of matrices derived from Poisson equation, weak scaling up to order of 16,000,000

1.0-	CG	1.1-	CR	L.0-	Jacobi	L.1-	Cront ILU
	BICG		BICR		ILU(k)		ILUT
1.0-	CGS	1.1-	CRS	L.0-	SSOR	L.1-	Additive Schwarz
	BICGSTAB		BICRSTAB		Hybrid		User defined
	BICGSTAB(l)		GPBCR		I+S		
	GPBCG		BICRSafe		SAAMG		
	Orthomin(m)		FGMRES(m)		SAINV		
	GMRES(m)		IDR(s)				
	TFQMR						
	Jacobi						
	Gauss-Seidel						
	SOR						
1.2-	Power Iteration	Block	Compressed Row Storage	Point	Compressed Column Storage	Block	Modified Compressed Sparse Row
	Inverse Iteration		Diagonal				
	Approximate Inverse Iteration		Ellpack-Itpack generalized diagonal				
	Lanczos Iteration		Jagged Diagonal				
	Conjugate Gradient		Dense				
	Subspace Iteration		Coordinate				
	Block Sparse Row		Block Sparse Column		Variable Block Row		

Supported solvers and formats

